E a E, , 387

$$H_{1} = \frac{1}{1} + \frac{1}{1$$

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388 S \_ . E, ,

СН  $M_{-}$  . . . . . M<sub>AT</sub>H H M 4 .4 \_\_\_\_н . 4 Ŵ M M 4 \_\_\_\_  $\mathbf{A}_{j} = \dots \quad j \quad j \quad j = 1$ also sal pas Any ray of a sala A are A М Bag So, o, Bo a E, Ao, (C E \ \\ \\ Z \)  $\mathbb{T}_{[n+1]} = \{1, \dots, n\} = \{1, \dots, n\} = \{1, \dots, n\}$ СН M \_\_\_\_\_ M<sub>AT</sub>H M<sub>AT</sub>H the production of the second sec 

# E aE, , 38·

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## СН

# 3.0 S. .E.

# E a E, , 3·1

3·2 S ... E, ,

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# E a E, , **3·5**

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#### 3.6 S\_ .E,

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# E a E, **3·7**

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5314.  $I_{\mathbf{k}}$   $\vdots$   $\mathbf{k}$   $\mathbf{M}$   $\mathbf{e}$   $\mathbf{a}_{\mathbf{k}}$   $\mathbf{a}$   $\mathbf{S}$   $\mathbf{e}$   $(\mathbf{MEMS}) \mathbf{a}_{\mathbf{k}}$   $\mathbf{D}$   $\mathbf{e}$   $\mathbf{e}$ 

5330.B9 a ¢2 :G<sup>\*</sup>• Wa≎

#### 3.8 S. .E.

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#### E a E, , **3**..

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5302.  $\mathbf{\overline{0}}$   $\mathbf{\overline{1}}_{\mathbf{k}}$   $\mathbf{A}_{\mathbf{k}}$   $\mathbf{M}_{\mathbf{k}} \mathbf{a}$   $\mathbf{0}_{\mathbf{k}}$   $\mathbf{a}_{\mathbf{k}}$   $\mathbf{\overline{0}}_{\mathbf{k}}$   $\mathbf{\overline{1}}_{\mathbf{k}}$   $\mathbf{\overline{1}}_{\mathbf{k$ 

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5304.  $I_{AO} \sim P$  ... T ...  $I_{AO} \sim T$  ...

400 S. .E. ,

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| EMIS:  |
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| $\frac{1}{2} \dots \dots \frac{1}{2} \dots $   |
| $T = \sum_{i=1}^{N} \sum_{j=1}^{N} \sum_{i=1}^{N} \sum_{i=1}^{N} \sum_{i=1}^{N} \sum_{j=1}^{N} \sum_{i=1}^{N} $   |
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| $\mathbf{M}^{\mathbf{X}} = \mathbf{M}^{\mathbf{Y}} = $   |
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5050. U<sub>∧</sub>o a ∵ao I∧o , P a .

5300. S •  $A_{ka}$   $M_{ka}$   $M_{ka}$ 

5303.  $I_{\mathbf{k}} \circ \mathbf{e} = \mathbf{R} \quad \mathbf{M} \mathbf{a}_{\mathbf{k}} \mathbf{a} \circ \mathbf{e}_{\mathbf{k}} \cdot \mathbf{A}$ 

5307. S •  $I_{k}$ • , a  $_{k}$  a  $_{k}$  . The set of a  $_{k}$  is the product of t

404 S \_ . E, ,

5310. S •  $E_{h} R^{\circ} h B$   $h^{A} L^{\circ} L^{\circ}$ 

5330.S • P ab E, P . . . in the product of the second s

5335. H<sup>-</sup>  $a_{k}$ -S  $\bullet$   $I_{k}$  $\bullet$   $a_{k}$  (HSI). T  $I_{k}$   $I_{k}$ 

5340. L S O E, RO , A series and 5340. L S  $\bullet$  E<sub>k</sub> A $\bullet$  , A and the set of a se

5352.  $I_{\mathbf{k}}$  ,  $\mathbf{a}_{\mathbf{k}} \in \mathbf{O}$  ,  $\mathbf{A}_{\mathbf{k}} \in \mathbf{O}$  ,  $\mathbf{T}_{\mathbf{k}}$  ,  $\mathbf{a}_{\mathbf{k}} \in \mathbf{O}$  ,  $\mathbf{A}_{\mathbf{k}} \in \mathbf{O}$  ,  $\mathbf{T}_{\mathbf{k}}$  ,  $\mathbf{a}_{\mathbf{k}} = \mathbf{O}$  ,  $\mathbf{A}_{\mathbf{k}} \in \mathbf{O}$  ,  $\mathbf{T}_{\mathbf{k}}$  ,  $\mathbf{A}_{\mathbf{k}} = \mathbf{O}$  ,  $\mathbf{T}_{\mathbf{k}}$  ,  $\mathbf{A}_{\mathbf{k}}$  ,  $\mathbf{A}_{$ ) 5359.  $I_{A}$  , a  $E_{A} \not = 0$  , M , A .  $T_{A}$  ,  $T_{A}$  ,

5360. Makae •  $\mathbf{k}$  ,  $\mathbf{k}$  , a  $\mathbf{k}$  ,  $\mathbf{e}$  ,  $\mathbf{e}$  , where  $\mathbf{j} = \mathbf{i}$  ,  $\mathbf{e} \in \mathbf{e}$  and  $\mathbf{j} = \mathbf{i}$  ,  $\mathbf{e} \in \mathbf{e}$  and  $\mathbf{e} = \mathbf{i}$  ,  $\mathbf{e} \in \mathbf{e}$  and  $\mathbf{e} = \mathbf{i}$  ,  $\mathbf{e} \in \mathbf{e}$  and  $\mathbf{e} \in \mathbf{e}$  ,  $\mathbf$ 

5361.C . To S that  $\mathbf{x} = \mathbf{x} = \mathbf{$ 

5362. P.  $\therefore$  , a,  $O \circ a$  ,  $Ma_{k}a \circ \circ h$ . A subscription of  $T_{2}$  and  $T_{2}$  and T

5364 (STAT 5344). So a la Qual C , A construction de la completation de la completation

5365. P. , a  $a_{\mathbf{k}}$  P  $\bullet$  ,  $Ma_{\mathbf{k}}a_{\mathbf{k}} \bullet \bullet_{\mathbf{k}}$  ,  $a_{\mathbf{k}}a_{\mathbf{k}} = a_{\mathbf{k}}$ 

5369.  $\mathbf{P}$  ab  $\mathbf{E}_{\mathbf{A}} \mathbf{P}^{\mathbf{A}} \cdot \mathbf{A}$  and  $\mathbf{E}_{\mathbf{A}} \mathbf{P}^{\mathbf{A}} \cdot \mathbf{P}^{\mathbf{A}}$  and  $\mathbf{E}_{\mathbf{A}} \mathbf{P}^{\mathbf{A}} \cdot \mathbf{P}^{\mathbf{A}}$  and  $\mathbf{E}_{\mathbf{A}} \mathbf{P}^{\mathbf{A}} \cdot \mathbf{P}^{\mathbf{A}}$  and  $\mathbf{E}_{\mathbf{A}} \mathbf{P}^{\mathbf{A}}$  and

5370 (STAT 5340). P. bab a<sub>k</sub> Sa Sa So So <sub>k</sub> a<sub>k</sub> E<sub>k</sub> <u>A</u>o A substances and a substances and a substance and a substances a

#### 406 S \_ E

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5377 (STAT 5377).Sa a 🗈 , a, 🛓 A, a n i jinzi Shekara

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# P. • . \_ . M. \_ . C. a

 $P \circ \dots P \circ$ 

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# 408 S .E,

 $\begin{array}{c} \mathbf{x} \in \{1, 2, 2\} \\ = \{1,$ 

E. aa C.E. . 40.



E. aa C.E. , 411



412 S ... E

# E. aa C.E, , **415**

4 C, M3355.  $E_{h}$ ,  $h \circ_{h} a$  | a |  $E a^{*} a$ , P,  $a_{h} \otimes a^{*} A$ . M

#### 416 S \_ . E, ,

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5315. Ike ae Wae Makae ek 

5322. B a Wa  $\diamond$  To a  $\diamond_{k}$  a prime pri

5332. G  $\overline{}_{\mathbf{k}}$  Wao H  $\mathbf{a}_{\mathbf{k}}$  C  $\mathbf{k}_{\mathbf{k}}$  a  $\mathbf$ 

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5340. In T , S N an T ,

5351. If  $\mathbf{F} = \mathbf{F}_{\mathbf{F}} = \mathbf{F}_{\mathbf{F}}$ 

418 S ... E, ,

5352. Ma<sub>k</sub>ae e <sub>k</sub> . Ra a e Ha a <u>service</u> service se

5386. F  $\mathcal{F}_{\mathbf{A}}$  a  $\mathcal{F}_{\mathbf{A}} \mathcal{F}_{\mathbf{A}} \mathcal{F}$ 

 $\begin{array}{c} P \circ & H & C_a \\ P \circ & D \circ & P \circ & Q \circ & A \circ & A \circ & Ma_A \circ & A \circ & A \circ & A \circ & Ma_A \circ & A \circ & A$ 

M \_a aE, , 421

$$M_{1}(\mathbf{U}) \rightarrow f_{1}(\mathbf{U}) = \mathbf{U} + \mathbf{U} +$$

422 S . . E



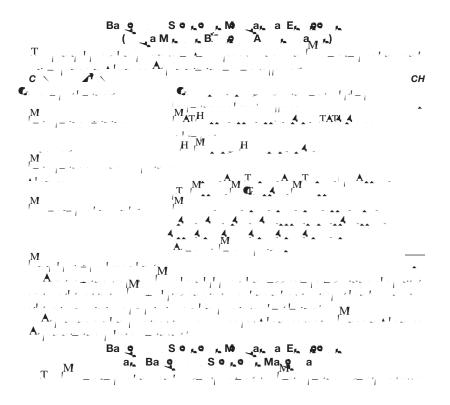
#### Do a o, a Fa o

 $M_{1} = \frac{1}{2} + \frac{1}{2$ 

# M \_a a E, \_\_\_\_ 423

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424 S. .E.

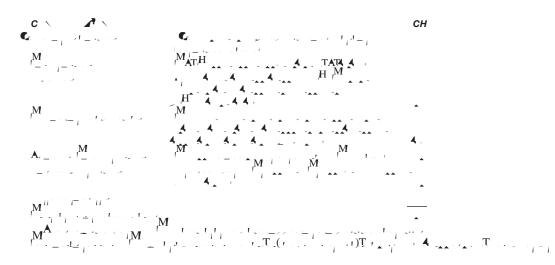


426 S . . E

Ba e Ser e , Me ar a Er Are , ar Ba e Ser e , P Μ СН €: \_ = ▲ MATH A A A M\_\_\_\_\_ M<sup>11</sup> – 11 –  $Ba = \sum_{i=1}^{n} \sum_{j=1}^{n} \sum_{i=1}^{n} \sum_{i=1}^{n} \sum_{i=1}^{n} \sum_{j=1}^{n} \sum_{i=1}^{n} \sum_{j=1}^{n} \sum_{i=1}^{n} \sum_{j=1}^{n} \sum_{i=1}^{n} \sum_{i=1}^{n}$ СН

М М \_\_\_\_\_\_\_\_\_\_\_\_ · · · · · 4 М \*\* A \_\_\_\_\_M . 1. . , <sup>1</sup>, <sup>1</sup>, <sup>1</sup> ,M<sup>11 - - - - - - -</sup> ,,  $\begin{array}{c} T = \sum_{i=1}^{n} \sum_{j=1}^{n} \sum_{i=1}^{n} \sum_{i=1}$ СН G. . \_ / \_ .... Contraction of the second s M \_M ` • • • • M M M 

428 S . . E . .



430 S \_ . E,

5320.  $I_{k}$  • a • D  $_{k}$  a  $A_{k}$   $A_{k$ 

5323. I. Faile M at the product of the product of

5324. Fa , to To an Domestic Action of the state of the s

## 436 S \_ . E,

A the second se

$$M_{Ajj}^{Ajj} = \prod_{i=1}^{n} A_{i,i} + \dots + \prod_{i=1}^{n} D_{i,i} + \dots + D_$$

 $\begin{array}{c} \mathbf{S} \\ \mathbf{K} \\ \mathbf{$  $\underline{\mathbf{T}}_{C} \xrightarrow{A_{c}} (\mathbf{1}, \mathbf{2}, \mathbf{2},$ 

$$\begin{array}{c} \mathbf{A}_{1} = \left\{ \begin{array}{c} \mathbf{A}_{1} \\ \mathbf{A}_{2} \\ \mathbf{A}_{1} \\ \mathbf{A}_{2} \\ \mathbf{A}_{2} \\ \mathbf{A}_{3} \\ \mathbf{A}_{3$$

ĨI

$$\begin{array}{c} M = \{ c_{1}, ..., A_{i}, ..., I_{i}, ..., I_{i}, ..., I_{i}, ..., V_{i}, ..., V_{i$$

-

İ

# A a a Fa **443**

 $\mathbf{A}_{i} = \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \\ \mathbf{H}_{i} & \mathbf{A}_{i} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \\ \mathbf{H}_{i} & \mathbf{A}_{i} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \\ \mathbf{H}_{i} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf$ 

 $\begin{array}{c} \mathbf{A}_{1}, \dots, \mathbf{M}_{M}, \dots, \dots, \mathbf{A}_{i_{j_{1}}}, j \in \mathcal{B}_{i_{j_{1}}}, j \in \mathcal{B}_{i_$  $\begin{array}{c} \mathbf{U}_{1} \\ \mathbf{U}_{2} \\ \mathbf{U}$  $\mathbf{A}_{1,\tau}^{-} = \sum_{j=1}^{n} \sum_{i=1}^{n} \sum_{j=1}^{n}  JB JE IK  $M_{-} = \frac{1}{2} + \frac{1}{2$ 

A a a Fa **445** 

# A a a Fa **447**

 $\prod_{i=1}^{n} \sum_{j=1}^{n} \sum_{i=1}^{n} \sum_{j=1}^{n} \sum_{j$  $\begin{array}{c} - M \\ - M$  $\mathbf{G}_{1} = \mathbf{U}_{1} \cdot \mathbf{K}_{1} \cdot \mathbf{J}_{1}, \quad E_{\mathbf{M}} = [\mathbf{J}_{1}F_{1}, \mathbf{J}_{2}, \mathbf{$  $\begin{array}{c} \begin{array}{c} \underline{\mathbf{L}} \\ \underline{\mathbf{T}} \\ \underline{\mathbf{T}} \end{array} \begin{array}{c} \underline{\mathbf{T}} \\ \underline{\mathbf{L}} \end{array} \begin{array}{c} \underline{\mathbf{T}} \\ \underline{\mathbf{T}} \end{array} \begin{array}{c} \underline{\mathbf{L}} \\ \underline{\mathbf{T}} \end{array} \begin{array}{c} \underline{\mathbf{T}} \\ \underline{\mathbf{T}} \end{array} \end{array} \begin{array}{c} \underline{\mathbf{T}} \\ \underline{\mathbf{T}} \end{array} \end{array} \end{array} \begin{array}{c} \underline{\mathbf{T}} \\ \underline{\mathbf{T}} \end{array} \end{array} \end{array} \begin{array}{c} \underline{\mathbf{T}} \\ \underline{\mathbf{T}} \end{array} \end{array} \end{array} \end{array} \begin{array}{c} \underline{\mathbf{T}} \\ \underline{\mathbf{T}} \end{array} \end{array} \end{array} \end{array} \begin{array}{c} \underline{\mathbf{T}} \\ \underline{\mathbf{T}} \end{array} \end{array} \end{array} \end{array} \end{array}$  $= \prod_{i=1}^{n} \sum_{j=1}^{n} \sum_{i=1}^{n} \sum_{j=1}^{n} \sum_{j=1}^{n} \sum_{j=1}^{n} \sum_{j=1}^{n} \sum_{j=1}^{n} \sum_{i=1}^{n} \sum_{j=1}^{n} \sum_$ 

### A a a Fa **451**

 $\begin{array}{c} & & \\ & &$ . . . ]  $\mathbf{A}_{1} \quad \cdots \quad \mathbf{A}_{n-1} \quad \mathbf$  $M_{i_{1}} = \frac{A_{i_{1}}}{A_{i_{1}}} + \frac{A_{i_{1}}}}{A_{i_{1}}} + \frac{A_{i_{1}}}}{A_{i_{1}}} + \frac{$  $\begin{array}{c} - & M \\ - & M \\ - & A   $\begin{array}{c} & & \\ & &$  $\begin{array}{c} \mathbf{T}_{-} & \mathbf{T}$  $\prod_{i=1}^{N_{1}} \dots A_{i}, i = J_{i},  

 $H_{1} = A$  $M_{1} = \begin{pmatrix} A_{1}, A_{2}, A_{3}, A_{3$  $[ \dots, A_{i_1}, 1, \dots, I_{i_1}, \dots, I_{i_m}] \to [ \dots, I_{i_m}, \dots, I_{i_m}] \to [ \dots, I_{i_m}, \dots, I_{i_m}] \to [ \dots, I_{i_m}, \dots, I_{i_m}]$ 

458 U , a a Caa,

## A a a Fa **45**.

~\_M' '  $\mathbf{C}_{i} = \frac{1}{1} - \frac{1$  $E_{\mu} = \frac{1}{2} \sum_{i=1}^{n} \sum_{j=1}^{n} E_{\mu} = \frac{1}{2} \sum_{i=1}^{n} \sum_{j=1}^{n} \sum_{j=1}^$ 

## A a a Fa **461**

Gret

462 U , a a Caa,

 $M_{(U_{-})} = \sum_{i=1}^{N} \sum_{j=1}^{I_{i}} \sum_$ 

( . . . . . )  $\begin{array}{c} \mathbf{A} & \mathbf{A}_{i,j} + \mathbf{J} & \mathbf{J}_{i,j} + \mathbf{J} & \mathbf{E}_{j} & \dots & \mathbf{J}_{j} + \mathbf{J}_{j} & \mathbf{J}_{j$ \_ /.../ )

## 464 U , a a Caa,

 $\begin{array}{c} M^{A} & A_{i} \\ M^{A} & M^{A} \\ M^{A}$  $E_{\mathbf{M}_{i}}^{\mathbf{M}_{i}} = \frac{1}{2} \left[ \frac{1}{2} A_{i} + \frac{1}{2}$  $\mathbf{A}_{i} = \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \end{bmatrix} \begin{bmatrix} \mathbf{A}_{i} & \mathbf{A}_{i} \end{bmatrix} \end{bmatrix}$  $\mathbf{M}_{-} = - \mathbf{A}_{-} \mathbf{M}_{-} \mathbf{A}_{+} \mathbf{M}_{-} \mathbf{A}_{+} \mathbf{J}_{+} \mathbf{J}_{$  $\mathbf{C}_{1},\ldots,\mathbf{A}_{r},\ldots,\mathbf{A}_{r},\ldots,\mathbf{J}_{r+1$  $\begin{array}{c} ( \ , \ , \ ) \\ = & ( \ , \ , \ ) \\ = & ( \ , \ , \ ) \\ = & ( \ , \ , \ ) \\ = & ( \ , \ , \ ) \\ = & ( \ , \ ) \ = & ($  $\begin{array}{c} H_{i} ( - - i ) \\ H_{i$ H  $\begin{array}{c} & & & \\ & & & & \\ & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & & & & \\ & &$ 

 $\begin{array}{c} \left[ \begin{array}{c} M' & \cdots & M' \\ - & \cdots & A \\ \end{array} \right] \begin{array}{c} M' & \cdots & M_{i_{1}} \\ - & \cdots & A \\ \end{array} \\ \begin{array}{c} M' & \cdots & M_{i_{1}} \\ \end{array} \\ \end{array} \\ \begin{array}{c} M' & \cdots & M_{i_{1}} \\ \end{array} \\ \end{array} \\ \begin{array}{c} M' & \cdots & M_{i_{1}} \\ \end{array} \\ \end{array} \\ \begin{array}{c} M' & \cdots & M_{i_{1}} \\ \end{array} \\ \end{array} \\ \begin{array}{c} M' & \cdots & M_{i_{1}} \\ \end{array} \\ \end{array} \\ \begin{array}{c} M' & \cdots & M_{i_{1}} \\ \end{array} \\ \end{array} \\ \end{array}$  \\ \begin{array}{c} M' & \cdots & M\_{i\_{1}} \\ \end{array} \\ \end{array} \\ \begin{array}{c} M' & \cdots & M\_{i\_{1}} \\ \end{array} \\ \end{array} \\ \end{array} \\ \begin{array}{c} M' & \cdots & M\_{i\_{1}} \\ \end{array} \\ \end{array} \\ \end{array} \\ \begin{array}{c} M' & \cdots & M\_{i\_{1}} \\ \end{array} \\ \end{array} \\ \end{array} \\ \begin{array}{c} M' & \cdots & M\_{i\_{1}} \\ \end{array} \\ \end{array} \\ \end{array} \\ \begin{array}{c} M' & \cdots & M\_{i\_{1}} \\ \end{array} \\ \end{array} \\ \begin{array}{c} M' & \cdots & M\_{i\_{1}} \\ \end{array} \\ \end{array} \\ \end{array} \\ \end{array} \\ \begin{array}{c} M' & \cdots & M\_{i\_{1}} \\ \end{array} \\ \end{array} \\ \\ \begin{array}{c} M' & \cdots & M\_{i\_{1}} \\ \end{array} \\ \end{array} \\ \end{array} \\ \begin{array}{c} M' & \cdots & M\_{i\_{1}} \\ \end{array} \\ \end{array} \\ \end{array} \\ \begin{array}{c} M' & \cdots & M\_{i\_{1}} \\ \end{array} \\ \end{array} \\ \end{array} \\ \\ \end{array} \\ \begin{array}{c} M' & \cdots & M\_{i\_{1}} \\ \end{array} \\ \end{array} \\ \\ \end{array} \\ \begin{array}{c} M' & \cdots & M' \\ \end{array} \\ \end{array} \\ \\ \begin{array}{c} M' & \cdots & M' \\ \end{array} \\ \\ \end{array} \\ \\ \end{array} \\ \begin{array}{c} M' & \cdots & M' \\ \end{array} \\ \\ \end{array} \\ \end{array} \\ \\ \end{array} \\ \\ \end{array} \\ \\ \end{array} \\ \\ \begin{array}{c} M' & \cdots & M' \\ \\ \end{array} \\ \\ \\ \end{array} \\ \\ \end{array} \\ \\ \\  $\begin{array}{c} & (1 - M - A_{i}, f_{i}, f_{i$  $\begin{pmatrix} - & - & - \\ \mathbf{A}_{1} & \mathbf{A}_{2} & \mathbf{A}_{3} & \mathbf{A}_{3} \end{pmatrix}$  $M_{1} = \frac{1}{2} A_{1}  (A\_\_ . \_)  $= \sum_{i=1}^{n} \sum_{j=1}^{n} A_{ij} + A_{ij} + \sum_{j=1}^{n} M_{ij} + \sum_{j=1}^{n} E_{ij} + \sum_{j=1}^{n} A_{ij} + \sum_{j=1}^{n} M_{ij} + \sum_{j=1}^{n} A_{ij} + \sum_{j=$  $M_{i_{1}} = M_{i_{1}} + M_{i_{2}} + M_{i_{1}} + M_{i_{2}} + M_{i$  $= \frac{1}{2} \left( \frac{1}{2} - \frac{1}{2} - \frac{1}{2} \right) \left( \frac{1}{2} - \frac{1}{2}$  $M \stackrel{(-)}{=} \stackrel{$  $M_{U(1)} = A_{U(1)} + A_{U(1)}$